Roll No.\_\_\_\_\_to be filled in by the candidate

(OLD PATTERN)

Paper Code 2 4 9 3

Session; 2011-2013

# Statistics (Objective Type)

Time: 20 Minutes	Marks: 17
1 ime: 20 Minutes	Marks: 17

NOTE: Write answers to the questions on objective answer sheet provided. Four possible answers A,B,C & D to each question are given. Which answer you consider correct, fill the corresponding circle A,B,C or D given in front of each question with Marker or pen ink on the answer sheet provided.

1.1	. The parameters of	binomial distribution are:		\$\tau_{\text{\tin}\text{\tin}\text{\texi{\text{\texi}\text{\text{\text{\text{\text{\text{\text{\text{\text{\text{\ti}}\tint{\text{\text{\text{\text{\text{\tin}\tint{\text{\text{\ti}\tinz{\text{\text{\text{\texitil{\tint{\text{\tin}\tint{\text{\texit{\text{\tin}\tint{\text{\ti}\til\tittt{\text{\ti}\tiint{\titt{\text{\text{\ti}\tiint{\tiint{\text{\tin}\tiint{\tint}\
	(A) p and q	(B) q and n	(C) n and p	(D) n, p, q
2.	For the positively sk	ewed binomial distributio	n:	
(	(A) p = 0	<b>(B)</b> p > 0.5	(C) p < 0.5	<b>(D)</b> p = 0.5
3.	In hypergeomatric d	istribution the trials are:		
	(A) independent	(B) dependent	(C) both A and B	(D) none of these
4.	The grouped data	is also called:		
	(A) raw data	(B) primary data	(C) secondary data	(D) quantitative data
5.	The process of arra	nging data into rows and	columns is called:	
	(A) array	(B) classification	(C) tabulation	(D) frequency distribution
6.	Data arranged in or	der of magnitude is called	d:	
	(A) raw data	(B) array data	(C) grouped data	(D) frequency distribution
7.	G.M of the values -2	2, 4, -3, 6, 0 is:		
	(A) -3	<b>(B)</b> 0	(C) 3	(D) can not be computed
8.	Which is appropriate	e average for finding the	average speed of a journey	?
	(A) Mean	(B) G.M	(C) H.M	(D) weighted mean
9.	If the third moment a	about mean m <sub>3</sub> =0 the dist	ribution is:	£:
	(A) meso kurtic	(B) positively skewed	(C) negatively skewed	(D) symmetrical
10	. If the moment co-ef	ficient of kurtosis b2=3 th	e distribution is:	
	(A) Platy kurtic	(B) Meso kurtic	(C) Symmetrical	(D) Positively skewed
11	. For a symmetrical d	listribution:		
	$(A) \beta_1 = 0$	<b>(B)</b> $\beta_1 = 3$	(C) $\beta_2 = 3$	(D) both a and b
12	. Index numbers for b	oase period is always take	en as:	*1
	(A) one	(B) zero	(C) 200	<b>(D)</b> 100
13	. The most suitable a	verage for index number	is:	
	(A) A.M	(B) G.M	(C) H.M	(D) Median
14	. For two mutually ex	clusive events A and B F	P(A)=0.2, P(B)=0.4 then P(A	UB) is:
	(A) 0.8	<b>(B)</b> 0.2	(C) 0.6	<b>(D)</b> 0.5
15	. If P(AUB)=P(A)+P(	B) then A and B are:		
	(A) mutually exclusive	(B) independent	(C) not mutually exclusive	(D) none of these
16	. If X and Y are rand	lom variables then E(X-Y)	) is equal to:	
	(A) $E(X) + E(Y)$	(B) E(X) - E(Y)	(C) X - E(Y)	(D) E(X) - Y
17	. Random variable is	also called:		
	(A) chance variable	(B) stochaotic variable	(C) constant	(D) both a and b

891-011-A-☆☆

Roll No.

to be filled in by the candidate.

## (OLD PATTERN)

**Subject Code** 

2

**Statistics** (Essay type) Session; 2011-2013

Time: 2:40 Hours

#### **SECTION-I**

Marks: 68

2- Write short answers of any eight parts from the following.

 $2 \times 8 = 16$ 

- Define statistics.
- iii. What are the qualities of a good average?
- v. Define weighted index numbers.
- vii. Define an index number.

- Differentiate between population and sample.
- iv. Write any two properties of arithmatic mean.
- vi. Define geometric mean.
- viii. Discuss fixed base method.
- ix. Find A.M. Given x=10+5u,  $\sum fu = 46$  and n=125.
- x. If mode=25 and median=30 then find approximate value of mean.
- xi. Compute base year weighted index number for the data:  $\sum p_o q_o = 35310$ ,  $\sum p_1 q_o = 41140$ .
- xii. If Paasche's index number is 105.72 and Laspeyre's index number is 107.22, then find Fisher's index number.

#### 3- Write short answers of any eight parts from the following.

 $2 \times 8 = 16$ 

- i. Q<sub>1</sub>=25, Q<sub>3</sub>=75, both are equidistant from median. Find median and mode.
- ii.  $\sum X = 180$ ,  $\sum X^2 = 6660$ , n = 5. Find coefficient of variation.
- iii. What are the main objectives of classification.
- iv. Define the term tabulation.
- v. X=4, 6, 8, 10, 12. Find mean deviation from median. vi. Define moments about mean.
- vii. Differentiate between absolute and relative dispersion. viii. Find probability of zero tail with 6 coin.
- Define independent events.
- State multiplication law of probability for dependent events.
- xi. Find probability of sum of 10 with two dice.
- xii. Mean=50, Median=48, S.D=10. Find coefficient of skewness.

#### 4- Write short answers of any six parts from the following.

 $2 \times 6 = 12$ 

- i. In a binomial distribution mean=3, standard deviation=1.5. Find n and p.
- ii. Write down the mean and variance of the hypergeometric distribution.
- iii. Define binomial random variable.
- iv. What is discrete random variable?
- v. What is probability density function?

vi. State two laws of expectation.

- vii. Given X=1, 2, 3 and P(X)= C, 4C, 3C. Find the value of C.
- viii. Define hypergeometric experiment.
- ix. Find E(X2) from the following: X: 0, 1, 2; P(X): 1/4, 2/4, 1/4.

#### **SECTION-II**

#### Note: Attempt any three questions from the following.

8x3 = 24

- 5. (a) Calculate geometric mean for the following ungrouped data of the percentage changes in the weight of eight animals: 45, 30, 35, 40, 44, 32, 42, 37.
  - (b) The given table shows the distribution of the maximum load in short tons supported by certain cables 4 produced by a company. Determine median and mode.

Maximum Loads	9.3 - 9.7	9.8 - 10.2	10.3 - 10.7	10.8 - 11.2	11.3 - 11.7	11.8 - 12.2	12.2 - 12.7	12.8 - 13.2
No. cables	2	5	12	17	14	6	3	1

- 6. (a) Given the following results. Find combined co-efficient of variation.
  - $n_1=100$ ,  $S_1=2.4$ ,  $\bar{X}_1=12.5$ ,  $n_2=120$ ,  $S_2=4.2$ ,  $\bar{X}_2=15.8$ ,  $n_3=135$ ,  $S_3=3.7$ ,  $\bar{X}_3=10.5$
  - (b) Pearson co-efficient of skewness of a distribution is 0.32 and its S.D is 6.5 and mean is 29.6. Find mode and median.

7. (a) Construct index numbers by using chain base method.

Items	1958	1960	1961
Α	10	12	13.5
В	16	16.5	17
C	18	18.5	19
D	20	21	21.5

- (b) A pair of dice is thrown. If the two numbers appearing are different. Find the probability that:
  - (i) The sum is 6. (ii) The sum is four or less.
- 8. (a) A continuous random variable X has a density function f(x)= (x+1)/8 for X=2 to X=4. Find (i) P(X<3.5) (ii) P(X=1.5)
  - (b) If  $f(x) = \frac{6 |7 X|}{36}$  for X=2, 3, 4, ...., 12. then find the mean and variance of the random variable X.
- 9. (a) If 20% of the bolts produced by machine are defective, determine the probability that of 5 bolts chosen at random: (i) 2 bolts are defective (ii) at least 3 bolts are defective
  - (b) A bag contains 5 white and 7 black balls. If 3 balls are drawn without replacement. What is the probaility 4 that: (i) all are white (ii) All are of the same colour

Α	
$\Sigma \mathcal{I}$	$\Sigma Z$
7	

#### Inter-(Part-I)-A-2015

(NEW PATTERN) Paper Code Roll No.\_\_\_\_\_to be filled in by the candidate Sessions; 2012-2014, 2013-2015 & 2014-2016 Statistics (Objective Type) **Time: 20 Minutes** Marks: 17 NOTE: Write answers to the questions on objective answer sheet provided. Four possible answers A,B,C & D to each question are given. Which answer you consider correct, fill the corresponding circle A,B,C or D given in front of each question with Marker or pen ink on the answer sheet provided. 1.1. In binomial experiment, the trails are: (A) constant (B) independent (C) dependent (D) none of these 2. If n=10 and P=0.5 then mean of binomial distribution: (D) 0.25 (A) 10 (C) 0.5**(B)** 5 3. Hypergeometric distribution become binomial distribution when: (C)  $N \longrightarrow \infty$ (B)  $n \longrightarrow \infty$ (D) N<n (A) N=n 4. The life time of T.V tube is a: (D) Qualitative variable (A) Discrete variable (B) Continuous variable (C) Constant The group data are called: (B) Secondary data (A) Primary data (D) Difficult to tell (C) Discrete frequency distribution 6. If the number of workers in a factory is 256 then the number of classes will be: (D) 12 (B) 9 (C) 10 (A) 8 7. If  $\overline{X}$  =100 and Y=2x-200 then  $\overline{Y}$  will be: (C) 100 **(D)** 200 (A) 2(B) 0 8. if  $\overline{X}$  =25 which of the following will be least? (C)  $\sum (X-22)^2$ (D)  $\sum (X-0)^2$ (A)  $\sum (X-27)^2$  (B)  $\sum (X-25)^2$ 9. The 1st moment about X=0 of a distribution is 12.08 then mean is: **(D)** 12.88 (C) 12.08 (A) 10.80 **(B)** 10.08 10. The variance of -5, -5, -5, -5 is: - (A) 5 (C) -5 (D) 4 **(B)** 0 11. The mean deviation of series 2,4,6 is: (D) 12 (A) 0 (B) 1.33 (C) 4 12. The price relatives computed by chain base method are called: (D) none of them (B) chain indices (C) link relatives (A) price relatives 13. Index number for base period always taken as: (D) zero (A) 1000 (C) 200 **(B)** 100 14. The probability of getting 7 in throwing a dice is: (D) 1/3 (C) 0 (A) 1/7 (B) 1/6 \*15. If P(B/A)=0.5 and  $P(A \cap B)$ =0.4 then P(A) will be equal to: (A) 0.40 (C) 0.80 (D) 1 (B) 0.5 16.  $\int_{-\pi}^{\infty} f(x) dx$  is always equal to: (C) E(x) **(D)** f(x)+1(B) one (A) zero 17. The probability function of a random variable is defined as: -1 -2 0 2 Х 1 Then K is equal to: 2K 3K 4K 5K f(x)K (C) 1/15 (D) 1/5 (B) one (A) zero 839-011-A-☆☆

		¥0		Inter-(Par	t-I)-A-2015						=100 Feb Feb	
Roll No	to be filled in	by the cand	didate. (N	IEW P	ATTERN	<b>4</b> )	Subject	Code	6	0	1	8
				2-2014,	2013-20 <sup>,</sup>	15 & 20 <sup>2</sup>	4-2016					
<b>Statistics</b>		1200	*		34							
Time: 3:10 Ho	nrs		SEC	CTION-	[				]	Mar	ks:	83
	answers of ar	ny eight pa	arts from 1	the follow	ing.				:	2 x 8	} ='	16
	ant by qualitativ				Sive three us	ses of statis	stics.					
	X <sub>2</sub> =8, Show the			557 877	f Y=5+6x/2,							
v. Calculate G		at / i.i.i.	•••		Correct D <sub>4</sub> =	30 P00						
	average defined	1?			Define price	394713						
	$= 505, \sum p_o q_o$		nich index				ated?			106		
	age is most suit							16				
	0, 25, 30, 40, I=					index num	ber.					
	Quantity index n				•							
	t answers of a		arts from	the follow	ring.				1	2 x 8	3 =1	6
	ncies of 5 class					uencies an	d relative fr	equencie	s.			
	comprises 10 va									ser	es'	?
iii Given the f	ollowing sums r	$_{1}=15$ $\sum \lambda$	$X = 480, \Sigma$	$X^2 = 15$	735 . Find (	C.V.						
iv. Define Hist		10,	7_		What is abs		ersion?					
	efficient of variat	ion			Define the							
viii. Define varia					Define sam					20		
x. What is Ve	AND AS ADMINISTRAÇÃO				A coin is to		Find the p	robability	of o	ne h	iea	d.
	ally likely events	58		XIII	,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,		p	,	77.70	nameta j		100
99	t answers of a		ts from th	e followin	ıa.		1 (4)			2 x 6	3 =1	2
										54	50 0	(275)
A. 0.50 to the A.	distribution n=6					<b>V</b>	155					
	-K=4, n=5. Find		220	igeometric	distribution	•						
	binomial probal random variable		ution.	v 1	Write down	two proper	ties of mat	hematical	ext	ect:	atio	n
	"p.d.f" stand fo				If E(x)=3 an							
	, 1, 2, P(x)=40		Find value		10 Bi	37 (3) (4)						
VIII. GIVEIT X-0	, 1, 2, 1 (A)—4	o, oo, o.		SECTIO		ro propertie	or the my	porgoomi		U.P.		
Note: Attemp	t any three au	estions fr							10	8x	3=2	24
50 HES	harmonic mear				ving data.					3.55		
J. (a) Gallouidic	u=(x-3.5)/0.5	-3	-2	-1	0	1 1	2	3	$\neg$			
ŀ	£		38	65	92	80	40	20	$\dashv$			
(h) Calculat	e median, 3rd d	15	<del></del>	1			J0					
(b) Calculat	e median, sid d	27140	-2	-1	0	1	2	().				
	-	u .						Mhoro	11-6	v 10	O) /r	) n
0 (4) 0-1-1		<u>f</u>		50	80	60	3	Where	U-()	V-19	0)12	.0
b. (a) Calculat	e first four mom	ents about	mean for	the tollowi	na set:							

(b) The ungrouped data is given. Calculate mean deviation from mean:

7. (a) Compute Chain Index numbers for the following data taking 1997 as base year.

Years	1997	1998	1999	2000	2001	2002	2003
Prices	180	185	194	200	204	218	220

(b) A card is selected at random from a deck of 52 playing cards. Find the proabability that card is king or queen.

8. (a) 
$$P(x) = {4 \choose x} (\frac{1}{2})^x (\frac{1}{2})^{4-x}$$
 where x=0, 1, 2, 3, 4.

Find the probability distribution and calculate E(X).

- (b) Given a continuous random variable X. The density function of X is given by:  $f(x) = \frac{2(1+x)}{27}$  for  $2 \le x \le 5$ Find (i) P(x < 4) (ii)  $P(3 \le x \le 5)$
- 9. (a) In binomial distribution if n=5 and P=1/3, find (i)  $P(x \le 4)$  (ii)  $P(x \ge 3)$ 
  - (b) Four balls are drawn from a bag containing 5 red and 6 black balls. What is the probability that:
    - (i) Two are red (ii) All are black.

#### Section -III (Practical)

NOTE: Answer any three parts from the following.

5x3=15

10.A. Find arithmetic mean from the given data:

Marks	15 - 19	20 - 24	25 - 29	30 - 34	35 - 39
f	6	12	15	. 7	4

B. Calculate quartile deviation from the following data:

Marks	21 - 40	41 - 60	61 - 80	81 - 100	101 - 120
f	5	12	15	13	10

C. Following data is given, calculate Paasche's price index number taking 1970 as base:

Commodity	Pri	ces	Quantity		
	1970	1971	1970	1971	
Α	5	20	6	16	
В	6	15	8	18	
С	10	12	12	10	

D. A random variable has the following probability distribution.

x	0	1	2	3
P(x)	0.1	0.2	0.3	0.4

Find (i) E(x) (ii) var(x)

E. Form a complete binomial distribution with parameters n=5 and P=1/3

			$\Gamma$	
Paper Code	2	4	9	1

17

# Session; 2015-2017

# Statistics (Objective Type)

1 ime: 20 Minutes	78		Marks:
NOTE: Write answers to	the questions on objective ar	nswer sheet provided. Four possible	e answers A,B,C & D to each
question are given. Which a	answer you consider correct, the answer sheet provided.	fill the corresponding circle A,B,C of	or D given in front of each question
with warker or peri link off	the answer sheet provided.		
1:1. A quantity comp	uted from a population i	s called:	
(A) constant	(B) variable	(C) parameter	(D) statistic
2. The process of sys	stematic arrangement of	data into rows and columns i	is called:
(A) classification		(C) stub	(D) box-head
3. The graph of a cu	mulative frequency distr	ribution is known as:	
(A) Histogram	(B) Ogive	(C) Pie-chart	(D) none of these
4. The median of the	data -2, 0, 2, 5, -1 is:		
(A) 2	(B) 4	(C) 0	(D) -2
<ol><li>Which of the follow</li></ol>	ving average can have i	more than one value:	
(A) Mean	(B) Median	(C) Mode	(D) G.M
6. The first moment at	oout mean is:		
(A) mean	(B) zero	(C) one	(D) variance
7. If $Q_1 = 10$ and $Q_3 = 30$	0, then coefficient of qu	artile deviation is:	
(A) 3	<b>(B)</b> 1/2	(C) 2/3	<b>(D)</b> 1
8. When $\beta_2 > 3$ then the	ne distribution is called:		97 970 D
. (A) Mesokurtic	(B) Platy kurtic	(C) Lepto kurtic	(D) normal
9. Current year quanti	ities are used as weight	s in:	
(A) Laspeyre's	(B) Paasche's	(C) Fisher's	(D) chain index numbers
10. In chain base meth	od the base period is:		
(A) fixed	(B) not fixed	(C) constant	(D) none of these
11. If two dice are rolle	ed, the possible outcome	es are:	W 5
(A) 6	<b>(B)</b> 36	(C) 1	<b>(D)</b> 16
12. If A and B are two	mutually exclusive ever	its, Then $P(A \cap B) =$	****
(A) 1/2	(B) 1	(C) σ	(D) <i>\phi</i>
13. For a continuous v	ariable "x" $\int_{-\infty}^{+\infty} f(x) dx =$	:?	
<b>(A)</b> μ	(B) zero	(C) 1	(D) ∞
14. If x is a random va	riable, then E(5x+2) is:		50.40-01 <b>4</b> 00
_ <b>(A)</b> 5 E(x)	<b>(B)</b> 5 E(x)+2	(C) 5+E(x)	<b>(D)</b> 2 E(x)+5
15: Binomial distributio	n has parameters:		
-(A) 2	<b>(B)</b> 3	(C) $\mu$	(D) $\sigma^2$
	distribution, the success	sive trails are:	
(A) Independent	(B) dependent	(C) some times independen	nt (D) none of these
	ypergeometric distribution	on is:	24 N. 1200
(A) $\frac{nN}{k}$	(B) $\frac{n+k}{N}$	(C) $\frac{nk}{N}$	(D) $\frac{Nk}{n}$
· · K		843-011-A-☆	n
	•	0-10-011-71-74	

# Statistics (Essay type)

Session; 2015-2017

Time: 2:40 Hours

**SECTION-I** 

Marks: 68

2 x 8 = 16

Define Descriptive Statistics.

ii. Define secondary data.

iii. Define weighted mean.

iv. Define harmonic mean.

v. Define weighted index number.

vi. What are quantity index numbers?

vii. Define a value index number.

viii. Write the formula for Fisher's Index Number.

ix. Describe the empirical relation between mean, median and mode.

- x. The sum of deviations of 15 values from 20 is 45. Find A.Mean.

2- Write short answers of any eight parts from the following.

- xi. For a certain distribution if  $\sum (x-15) = 5$ ,  $\sum (x-18) = 0$  and  $\sum (x-21) = -21$ , what is the value of mean and Why?

xii. How many methods are used for selection of base period?

3- Write short answers of any eight parts from the following.

 $2 \times 8 = 16$ 

i. What will be the coefficient of variation if  $\sum fx^2 = 75000$ ,  $\sum fx = 2500$  and  $\sum f = 100$ ?

ii. For any two events 'A' and 'B' the probability of A=0.6 and Probability of B=0.8. Find P(AUB).

. iii. What is tabulation?

iv. What is frequency polygon?

Define the term disperssion.

vi. If var(x)=16, then find var(2x) and var(3x-20).

vii. Define moments.

viii. What do you know about skewness?

ix. Give the Bowley's formula of coefficient of skewness. x. Write mathematical definition of probability.

xi. What are equally likely events?

xii. From a pack of 52 cards, find the probability of a black card.

#### 4- Write short answers of any six parts from the following.

 $2 \times 6 = 12$ 

i. What is meant by mathematical expectation of a random variable?

ii. A random variable 'x' has a binomial distribution with n=5 and p=0.2. Find P(x=2).

iii. Write down parameter, mean and variance of hypergeometric distribution.

Define continuous random variable.

v. Write down any four laws of mathematical expectation.

vi. What is meant by probability function?

vii. Given X=0, 1, 2 and P(x)=5/40, 25/40, 10/40. Find E(x).

viii. Define Bernoulli trial.

ix. Given N=10, n=2 and k=3. Find P(x=0).

#### **SECTION-II**

Note: Attempt any three questions from the following.

8x3 = 24

5. (a) Find the geometric mean from the following frequency distribution.

x	2	3	4	5	6
f	5	7	8	3	2

(b) Reciprocals of 8 values of x are 0.0667, 0.1111, 0.0833, 0.0556, 0.0500, 0.0357, 0.0278, 0.0222. Calculate median of x.

6. (a) Find the coefficient of S.D. from the following data:

x	5	10	15	20	25	30
f	3	7	20	10	6	4

(b) In a frequency distribution, the coefficient of skewness is 0.6. If the sum of upper and lower quartiles is 100 and median is 38. Find the value of the upper quartiles.

-7. (a) Calculate Index numbers of prices taking the average of the prices of 1st 5 years as base year from the following data.

Years	1960	1961	1962	1963	1964	1965	1966	1967
Prices	40	45	48	50	52	54	56 .	60

(b) Two good dice are rolled. Find the probability of: (i) The sum is exactly seven (ii) The two dice show the same number.

8. (a) Probability distribution of a random variable(x) is given as:

3 X 4 5 P(x) 0.1 0.3 0.2 0.1

(i) Find the value of 'a'.

(ii) Find probability distribution of Y=3x+5

(b) Find E(x) and Var(x) for following probability distribution.

x	0	1	. 2	3
P(x)	0.1	0.2	0.3	0.4

9. (a) An event has probability P=2/5. Find the complete binomial distribution when n=4.

(b) Given that 'x' is a hypergeometric random variable with N=8, n=3 and k=5. Compute  $P(x \le 3)$ .

Paper Code

## Sessions; 2012-2014, 2013-2015 & 2014-2016

# Statistics (Objective Type)

Time:	20	Minu	tes
A AAAA	-0	TITTLE	

Marks: 17

NOTE: Write answers to the questions on objective answer sheet provided. Four possible answers A,B,C & D to each question are given. Which answer you consider correct, fill the corresponding circle A,B,C or D given in front of each question with Marker or pen ink on the answer sheet provided.

<b>1.</b> 1.	Data i	used	by	an	agency	which	originally	collected	them are:
--------------	--------	------	----	----	--------	-------	------------	-----------	-----------

- (A) primary data
- (B) raw data
- (C) secondary data
- (D) grouped data
- 2. The process of arranging data into rows and columns is called:
  - (A) frequency distribution

(B) classification

(C) tabulation

- (D) array
- 3. The number of important basis of classification are:
  - (A) 2
- **(B)** 3
- (C) 4

(D) 5

- 4. The most central value of arranged data is:
  - (A) Mode
- (B) Median
- (C) Mean
- **(D)** G.M.

- 5. The mean of first "n" natural numbers is:
  - (A)  $\frac{n(n+1)}{2}$  (B)  $\frac{(n+1)}{2}$
- (C)  $\frac{(n-1)}{2}$
- **(D)**  $\frac{n}{2}$

- 6. If S.D(X)=5, then  $S.D.\frac{(2X+5)}{2}$  is equal to:
  - (A) 5
- (B) 10
- (C) 15

- (D) 7.5
- 7. If the third moment about the mean is zero (m<sub>3</sub>=0), then the distribution is:
- · (A) mesokurtic
- (B) pisitively skewed
- (C) symmetrical
- (D) negatively skewed
- 8. If  $\bar{X}$  =5, which of the following expressions is minimum?
- ' (A)  $\sum (X-25)^2$  (B)  $\sum (X-5)^2$  (C)  $\sum |X-5|$
- **(D)**  $\sum |X-25|$

- 9. Link relative is equal to:
  - (A)  $\frac{P_n}{P} \times 100$  (B)  $\frac{P_n}{P_n} \times 100$
- (C)  $\frac{P_n}{P_{max}} \times 100$
- (D) none of these

- 10. Consumer's price index numbers are:
  - (A) un-weighted
- (B) weighted
- (C) simple
- (D) none of these

- 11. Two events A and B are called mutually exclusive, if:
  - (A) AUB= $\phi$
- (B)  $A \cap B = \phi$
- (C)  $A \cap B = S$
- **(D)**  $(A \cap B) = 1$
- 12. When two coins are tossed simultaneously, probability(one head) is:
  - -(A) 1/4
- (B) 1/2
- (C) 3/4

- (D) 1.0
- 13, If y=ax+b, where a and b are two constants, then var(y) is:
  - (A) a var(x)+b
- (B) var(x)+b
- (C)  $a^2 var(x)$
- **(D)** a var(x)

- 14. If E(x)=4, then arithmatic mean will be:
  - (A) 4
- **(B)** 8

(C) 0

(D) 1

- 15. In a binomial distribution, the range of X is:
  - (A) 0 to ∞
- (B) 0 to n
- (C) -1 to ∞
- (D) undefined
- 16. in a binomial distribution for n=20, P=3/5, then variance of this distribution is:
  - (A) 60
- (B) 12
- (C) 4.8

- **(D)** 0
- 17. In hypergeometric distribution K=3, N=6, n=2, then mean is:
  - (A) 2
- **(B)** 3

(C) 1

(D) 4

 $Roll \, No.$ \_\_\_\_\_to be filled in by the candidate.

Subject Code 6

#### Sessions; 2012-2014, 2013-2015 & 2014-2016 ·Statistics (Essay type)

. Time: 3:10 Hours

#### **SECTION-I**

Marks: 83

2- Write short answers of any eight parts from the following.

 $2 \times 8 = 16$ 

Define sample and population.

ii. What is frequency distribution?

iii. Give any two merits of mode.

iv. Define deciles.

v. Define geometric mean.

vi. What is the empirical relation between mean, median and mode?

vii. What are the uses of index numbers?

viii. What are index numbers?

ix. Find the median in a moderately skewed distribution when mean=10, and mode=15.

x. Given  $\sum WI = 500$  and  $\sum W = 5$ . Find consumer price index number.

xi. Given  $\sum p_o q_o = 1000$ ,  $\sum p_o q_n = 800$ ,  $\sum p_n q_n = 1360$ . Find current year weighted index.

xii. Explain the relationship between Laspeyre's Index, Paasche's Index and Fisher's Index.

3- Write short answers of any eight parts from the following.

 $2 \times 8 = 16$ 

i. What would be the shape and name of the frequency distribution if: (a) mean=median=mode (b) mean>median>mode.

ii. If lower quartile is 20 and quartile deviation is 30. Find upper quartile.

iii. Given mean =100, mode=95 and standard deviation=10. Find co-efficient of skewness.

iv. If A and B are two independent events such that P(A)=0.2 and P(B)=0.15 then find  $P(A \cap B)$ .

v. What is classification?

vi. Define frequency distribution.

vii. Define the term dispersion.

viii. Define absolute dispersion.

ix. Write any two properties of standard deviation. x. Define sample space.

xi. Define mutually exclusive events.

xii. Define conditional probability.

4- Write short answers of any six parts from the following.

 $2 \times 6 = 12$ 

i. Find mean and standard deviation for the following discreet distribtuion f(x)=1, x=5.

ii. If a continuous random variable X has probability density function f(x)=a(x+1) for  $2 \le x \le 5$ , then find the value of "a".

iii. If E(x)=1.1 and  $E(x^2)=2.1$  then find co-efficient of variation of "x".

iv. Define mathematical expectation and write its at least two properties.

v. If X is a binomial random variable with mean=1.44 and standard deviation=0.96 then find P(x=2).

vi. Write down the equation of the hypergeometric distribtuion and its mean and variance.

vii. Define binomial experiment.

viii. Define probability density function and write its properties.

ix. Given N=10, n=4, K=7, then find S.D.(X).

#### **SECTION-II**

## Note: Attempt any three questions from the following.

8x3 = 24

5. (a) The following data has been obtained from a frequency distribution of a continuous variable 'X' after making

the substitution:  $U = \frac{X - 136.5}{6}$ . Show that G.M. is less than A.M.?

U	-4	-3	-2	-1	0	1	2	3
f	2	5	8	18	22	13	8	4

(b) Determine median and mode from the following data:

Groups	9.8 - 10.2	10.3 - 10.7	10.8 - 11.2	11.3 - 11.7
f	5	12	17	14

6. (a) Find the mean deviation from the following data:

Classes	10 - 14	15 - 19	20 - 24	25 - 29
f	12	10	11	8

(b) For the following data, find combined standard deviation and combined co-efficient of variation.

$$n_1 = 50$$
;  $\overline{x}_1 = 63$ ;  $s_1 = 9$ ,  $n_2 = 40$ ;  $\overline{x}_2 = 54$ ;  $s_2 = 6$ .

7. (a) Construct the index number for 1963 assuming 1953 as base by: (i) Laspeyre's formula (ii) Paasche's formula

Items	1953		1963	
nems	Price	Quantity	Price	Quantity
Α	2	50	10	40
В	3	10	8	5
С	4	5	4	5

- (b) A coin is tossed twice. Find the conditional probability of getting two heads given at least one head.
- 8. (a) A r.v. 'x' has the following probability distribution.

Х	1	2	3	4
P(X)	2/9	3/9	1/9	3/9

Find mean and S.D. of x.

- (b) For a continuous r.v. 'x' for(x)= kx;  $0 \le x \le 2$ . Find (i) value of k (ii) P(0.5<x<1.5)
- 9. (a) Find mean and variance of the binomial distribution (q+p)3.
  - (b) An urn contains 5 balls. Two of them are red and 3 black balls. If three balls are drawn without replacement, find the mean and variance of the distribution of black balls.

#### Section -III (Practical)

NOTE: Answer any three parts from the following.

5x3=15

10.A. Find median and mean to the given data.

Marks	0 - 10	10 - 20	20 - 30	30 - 40	40 - 50	50 - 60
f	4	9	20	11	6	3

**B.** Given the following results  $n_1 = 100, \overline{x}_1 = 126, s_1 = 2.4, n_2 = 120, \overline{x}_2 = 158, s_2 = 4.2$ .

5

Find combined co-efficient of variation.

C. Find the chain index number for the price data given below. The price of the commodities are

5

in Rs. per 40 kg taking 1980 as base.

Years		Comm	odities	
	Wheat	Rice	Maize	Cotton
1980	58	118	27	80
1981	60	120	30	90
1982	. 75	130	30	95
1983	90	150	40	100

D. Given the following discreet probability distribution.

x	0	1	2	3	4	5
P(x)	6/36	10/36	8/36	6/36	4/36	2/36

Find (i)  $E[x-E(x)]^2$ 

(ii) Co-efficient of variation.

E. If you toss a fair dice 6 times. What is probability of getting even numbers, also find the probability distribution 5 of even numbers on 6 dices.



Roll No.\_\_\_\_\_\_ to be filled in by the candidate

Paper Code 2 4 9 1

## Sessions;2015-2017&2016-2018

# Statistics (Objective Type)

Time: 20 Min	nutes				Marks: 17

NOTE: Write answers to the questions on objective answer sheet provided. Four possible answers A,B,C & D to each question are given. Which answer you consider correct, fill the corresponding circle A,B,C or D given in front of each question with Marker or pen ink on the answer sheet provided.

<b>1.</b> 1	. The number of vowels	in t	ne word statistics are:				
	(A) Discrete data	(B)	Continuous data	(C)	Qualitative data	(D)	Infinite
2.	The data already collect	ted l	by some one are called:				
	(A) Raw data	(B)	Secondary data	(C)	Arranged data	(D)	Fictitious data
3.	The graph of the time s	eries	s is called:				
	(A) Historigram	(B)	Histogram	(C)	Ogive	(D)	Sector diagram
4.	Which of the following a	avera	ages are affected by extre	eme	values?		
	(A) A.M	(B)	G.M	(C)	H.M	(D)	Median
5.	Sum of the deviations for	rom I	Mean is:				
	(A) one	(B)	zero	(C)	<0	(D)	>0
6.	When b <sub>2</sub> <3 then the dist	ribut	ion is called:				
	(A) Mesokurtic	(B)	Platykurtic	(C)	Leptokurtic	(D)	Normal
7.	The variance of 7,7,7,7,	7 is:					-
3	(A) 7	(B)	$(7)^2$	(C)	0	(D)	$\sqrt{7}$
8.	For a symmetrical distrib	outio	n:				
	(A) $b_1 > 0$	(B)	b <sub>1</sub> <0	(C)	b <sub>1</sub> =0	(D)	b <sub>1</sub> =3
9.	For computing chain ind	lex N	lumbers we compute:				
	(A) Price relatives	(B)	Link relatives	(C)	Weighted indices	(D)	Fixed base
10.	Base year quantities are	e use	ed as weights in computin	g:			
	(A) Laspeyre's Index	(B)	Paasche's Index	(C)	Fisher's Index	(D)	Chain Index
11.	A single letter is selected	ed fro	om the word "PROBABILI	TY".	Then the probability of vow	els i	s:
	(A) 2/11	(B)	3/11	(C)	4/11	(D)	7/11
12.	If an event is not affected	ed by	the other event, then the	y are	e called:		
10	(A) Mutually exclusive	(B)	Independent	(C)	Dependent	(D)	Equally likely
13.	Var(2x+5)=						
	(A) 2 var(x) ± 5	(B)	4 var(9x+25)	(C)	4 var(x)	(D)	4 var(x)-25
14.	The probability function	can	not be:				
	(A) <0	(B)	=0	(C)	>0	(D)	<b>≠</b> 0
15.	A binomial distribution h	nas v	rariance:				
(/	A) nq	(B)	np	(C)	npq	(D)	$\sqrt{npq}$
16.	If in a binomial distribut	ion F	=0.5 then the distribution	is:			
(	<ul><li>A) positively skewed</li></ul>	(B)	Negatively skewed	(C)	Symmetrical	(D)	Non-symmetrical
17.	In a hypergeomatric ex	perin	nent the successive trials	are:			
(	A) Independent	(B)	Dependent	(C)	Infinite	(D)	Exhaustive
				845	5-011-A-☆		

#### **Statistics** (Essay type)

### Sessions;2015-2017&2016-2018

#### Time: 2:40 Hours

#### **SECTION-I**

Marks: 68

2- Write short answers of any eight parts from the following.

 $2 \times 8 = 16$ 

2 x 8 = 16

 $2 \times 6 = 12$ 

- i. What is meant by statistics?
- Define and explain "Average".
- v. Define Median.
- vii. Define and explain quartiles.
- ix. Explain fixed base method.
- x. If  $\sum P_n q_o = 600$ ,  $\sum P_o q_o = 150$  compute Laspeyr's price index.
- ii. Differentiate between qualitative and quantitative data.
- iv. Discuss demerits of arithmatic mean.
- vi. Compute  $\sum x$  if x = 5 and n=10.
- viii. Define simple index number.
- xi. Give some uses of index number.
- J-xii. If  $\sum P_n q_n = 460$ ,  $\sum P_o q_n = 115$ . Find Paasch's price index. 3- Write short answers of any eight parts from the following.

i. What is simple classification and two way classification?

ii. If var(x)=5 and y=2x+5 then what will be variance of y?

- iii. Write any two properties of standard deviation.
- v. Define the term range.
- vii. Define the term absolute measure of dispersion.
- ix. Distinguish between simple and compound events.
- xi. Define not mutually exclusive events.
- iv. What is mean deviation?
- vi. Define the term class interval.
- viii. Write down the various formulas of variance.
  - x. Explain the concept probability.
- xii. Explain the term dependent events.
- 4- Write short answers of any six parts from the following.
- i. In a binomial distribution, n=10,p=0.3. Find mean and variance.
- ii. Write down the properties of a discrete probability distribution.
- iii. If E(x)=5 and E(x<sup>2</sup>)=50 find,  $\sigma^2$ .
- iv. Find 'k' for probability distribution

2 X: 0 P(x):k3k 2k

vi. What is binomial experiment?

viii. What is hypergeometric random variable?

5. (a) Calculate the mode for the given data.

- v. Write down the formula of mean and variance of hypergeometric distribution.
- vii. How can be random numbers generated?
- ix. Write down the formula of E(x) and  $E(x^2)$ .

#### **SECTION-II**

#### Note: Attempt any three questions from the following.

8x3 = 24

Groups 15-19 20-24 25-29 30 - 3435-39 8 12 9 3 (b) Calculate Harmonic mean for the following data.

Classes	10-19	20-29	30-39	40-49	50-59
f	2	3	8	11	3

(a) Calculate the mean deviation from mean and mean deviation from median for the following data.

2,6,9,12,8,13,5,6,23,16

(b) Find coefficient of Q.D from the following data.

Midpoint	15	25	35	45	55
f	3	7	10	8	2

(a) Given the prices of (3) three commodities, compute price index number by simple aggregative method taking the year 2000 as base:

Year _		Commodities	
Tear	Α	В	C
2000	4	10	20
2001	. 4	6	23
2002	7	9	25
2003	8	10	30

(b) Three uniform coins are tossed. Find the following probabilities.

Only one tail.

(ii) atleast one head.

- (iii) Head on first coin appeared.
- 8. (a) Three balls are drawn from a bag containing 5 white and 3 black balls. If x' denotes the number of white balls drawn from the bag then find the probability distribution of x.
  - (b) A continuous random variable x that can assume values between x=2 and x=5 has a density function by.

$$f(x) = \frac{2}{27}(x+1)$$
 find (i) P(x<4) (ii) P(3

9. (a) In a binomial distribution  $n=5, p=\frac{1}{4}$ , find (i) P(x=0) (ii)  $P(x \le 3)$ .

(b) Given that x is a hypergeometric random variable with N=8, n=3 and k=5. Compute  $P(x \le 3)$ .

4

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Paper code	6	1	8	1

Marks: 17

# Sessions;2013-2015&2014-2016

# Statistics (Objective Type)

Time: 20 Minutes	
NOTE: Write answers to the questions on objective answer sheet provided. F	Four possible answers A

er sheet provided. Four possible answers A,B,C & D to each question are given. Which answer you consider correct, fill the corresponding circle A,B,C or D given in front of each question with Marker or pen ink on the answer sheet provided.

1.1	. "π" is a:						
	(A) constant	(B)	parameter	(C)	statistic	(D)	co-efficient
	Total of relative frequer	ncy is	always:				
	(A) One	(B)	Two	(C)	Half	(D)	100
3.	Total angle of pie-chart	is:					
	(A) 270°	(B)	300°	(C)	320°	(D)	360°
4.	Q2=D5=P50=						
	(A) Mean	(B)	Median	(C)	Mode	(D)	H.M
5.	If $\sum (x-50) = 0$ , then	$\bar{x} =$	;			120 8	
	(A) 10	(B)	250	(C)	50	(D)	None of these
6.	The first moment about	mean	is:		¥.		ii
	(A) zero	(B)	one	(C)	two	(D)	none of these
7.	Half of the difference be	twee	n upper and lower quart	iles is	s called:	` '	
	(A) M.D	(B)	No. and		S.D	(D)	variance
8.	If y=3x+7 and $\sigma_x^2 = 4$ , th	ien σ	, is:			(-)	va
	(A) 6	(B)	*	(C)	48	(D)	27
9.	In index number techniq	10275 27		000000000	6.5	(0)	
1000	(A) A.M		G.M		median	(D)	mode
10.	Price relatives can be of	0.5 05		(-)	111001011	(0)	mode
	(A) P <sub>o</sub>	(B)		(C)	a	(D)	~
11	8 <sub>C2</sub> =	(5)	· n-1	(0)	40	(U)	$q_{n-1}$
	(A) 56	(B)	28	(C)	35	<b>(D)</b>	0
12	20 August 400 (200) August 400	2		(C)		(D)	8
12.	When two coins are tos			19.25	2.0	<b>.</b>	
40	(A) four	(B)		135 1972.0	eight	(D)	two
	for a discrete r.v.x if "k"						70 20
	(A) k	(B)		(C)	zero	(D)	-k
176	Given var(x)=3,var(y)=5	100000	2002	1252/200	2.0		
	(A) 15	(B) '		(C)	34	(D)	8
15.	The variance of binomia	l dist	ribution is:				
(1	A) nP	(B) r	nq	(C)	pq	(D)	npq
16.	The mean of hypergeon	natric	distribution is:				
,	$\frac{nk}{n}$		nN	(O)	$\sqrt{npq}$		n+k
()	$\frac{N}{N}$	(B)	K	(C)	VP4	(D)	N

(B) Continuous

(C) Negative

(D) None of these

(D) N

#### Sessions;2013-2015&2014-2016

# Statistics (Essay type)

Time: 3:10 Hours

#### **SECTION-I**

Marks: 83

2- Write short answers of any eight parts from the following.

 $2 \times 8 = 16$ 

Define statistics.

Write any two properties of A.M.

iii. Define Median with formula.

iv. If sum of deviations of 15 values from 20 is 45. Find A.M.

v. If Mode=15 and Mean=12, find Median.

vi. Define Geometric Mean.

vii. Define an Index Number.

viii. What is Consumer Price Index Number?

ix. Define Link relatives.

x. Find the current year weighted index for given data. Given  $\sum p_n q_n = 2260$ ,  $\sum p_o q_n = 2230$ 

xi. If Laspeyre's Index number=105.4 and Paasche's Index number=103.2, find the Fisher's Index Number.

xii. Define a population.

#### 3- Write short answers of any eight parts from the following.

2 x 8 = 16

- i. What is classification?

ii. Find the minimum and maximum sum of dots when a pair of dice is rolled.

iii. If the first moment about the number 2 is equal to 5. What is the mean?

iv. Given 
$$x = 10$$
 and  $var(x) = 4$ , find  $y = 3$  and  $var(y)$  when  $y = \frac{1}{3}(4 + 3x)$ .

v. Name the distribution if  $b_1=0, b_2=2$ .

vi. What is variance?

vii. Define the term dispersion.

viii. What is positive skewness?

ix. Define sample space.

State the difference between simple and compound events.

xi. What is an array?

xii. What is the range of probability of an event?

#### 4- Write short answers of any six parts from the following.

 $2 \times 6 = 12$ 

Define discrete random variable with an example.

ii. Write down the properties of the distribution function.

iii. Write down hypergeometric probability function, its mean and variance.

iv. Given E(x)=0.60, var(x)=1.4 and if y=3x+4 then find E(y) and Var(y).

v. Discuss the statement that in binomial distribution mean=5 and variance=5

vi. If x follows hypergeometric random variable i.e  $x \sim h(11,5,7)$  then find  $P(x \le)1$ .

vii. Explain probability mass of function.

viii. Given x=-10,-20,30 and P(x)=2k,3k,5k find P(x<30).

ix. Define binomial experiment.

#### SECTION-II

#### Note: Attempt any three questions from the following.

8x3 = 24

5. (a) Calculate median for the following distribution.

Hourly wages	4-6	6-8	8-10	10-12	12-14	14-16
No.of Employees	13	111	182	105	19	7

· (b) Calculate harmonic mean for the following data:

x:	2	3	4	5	6
f:	6	10	12	15	7

(a) Calculate S.D, variance and C.V for data below:

Classes	10 - 14	15 - 19	20 - 24	25-29	30-34
f	1	*4	8	5	2

(b) The first four moments of a distribution about x=4 are 1,4,10 and 45. Calculate:(i) Co-efficient of variation (ii) b2

7. (a) Find index numbers by chain base method from the following data:

Years	1970	1971	1972	1973	1974	1975
Prices	15	19	21	30	37	38

- (b) A and B are two independent events. If P(A)=0.40, P(B)=0.30 Find the probabilities.
- (i)  $P(A \cap B)$  (ii)  $P(A \cup B)$
- 8. (a) If  $P(x) = {3 \choose x} (\frac{1}{4})^x (\frac{3}{4})^{3-x}$  where x=0,1,2,3.Find E(x).
  - (b) A continuous random variable x has value between 0 and 4.Its density function is given by:

 $f(x) = \frac{1}{2}$ -ax where 'a' is a constant. Find the value of a.

- 9. (a) In binomial distribution n=5 P=0.7
  - (i) Find complete binomial distribution.
- (ii) Find Mean and variance of the distribution obtained.
- (b) A bag contains 5 red and 7 black balls.5 balls are selected at random(without replacement). If x denotes the no. of black balls then find the probability distribution of x. Also find mean and variance of the distribution thus obtained.

#### Section -III (Practical)

NOTE: Answer any three parts from the following.

5x3=15

10.A. Find A.M of the following data.

Marks	0 - 10	10 - 20	20 - 30	30 - 40	40 - 50
f	5	12	15	25	8

B. Calculate

5

5

5

- (i) Mean deviation from mean.
- (ii) Mean deviation from median, using the following data.

$$x = 4, 7, 7, 9, 10, 12, 15$$

C. Give the following information

 $\sum p_o q_o = 3600$ ,  $\sum p_1 q_o = 4300$ ,  $\sum p_0 q_1 = 4100$ ,  $\sum p_1 q_1 = 4890$ 

Show that Fisher's ideal price index number is the G.M of Laspeyre's and Paasche's Index number.

D. If X has the following probability distribution

X	1	2	3	4	5
P(x)	0.05	0.04	0.59	0.25	0.07

Find (i) E(x) (ii)  $E(x^2)$ 

E. Four dice are tossed 96 times. Find the expected frequencies when throwing of 4,5 or 6 is regarded as a success.

Roll No.\_

\_to be filled in by the candidate

Paper Code 2 4 9 5

# Sessions;2015-2017,2016-2018&2017-2019

# Statistics (Objective Type)

Time: 20 Minutes			Marks: 17
NOTE: Write answers to the	e questions on objective answ	er sheet provided. Four possible a	answers A,B,C & D to each
question are given. Which ans	swer you consider correct, fill t	he corresponding circle A,B,C or	D given in front of each question
with Marker or pen ink on the	e answer sheet provided.		
1.1. The index for base per	riod is always taken as:		
(A) 100	(B) one	(C) 200	(D) zero
2. Probability of black que	The second of the second		
(A) 4/52	(B) 2/52	(C) 3/52	(D) 5/52
3. The probability of an ev	rent always lies between:		
(A) -1 and 0	(B) -1 and 1	(C) 0 and 1	(D) 1 and 2
4. Random numbers are s	sequence of digits from the se	3207	
(A) {0,1,29}	(B) {1,29}	(C) {0,1,210}	(D) {1,210}
5. Var(2X+5)=			NEL NEWSCHOOL
(A) 2.Var(X)+5	(B) 4.Var(X)	(C) 4.Var(X)-25	(D) 4.Var(X)+25
6. If p=q=1/2 the binomial	2002 20000 000 100 100 100 100 100 100 1	A control of the cont	
(A) Negatively skewed		(C) Symmetrical	(D) Non-symmetrical
1.52 A 550 S50	nean of hypergeomatric distril	A 5 A	3-6
(A) 1		(C) 1/4	(D) 1/3
20	I if X and Y are independent v	complanate to the William (William)	
	(B) 2	(C) 8	(D) 34
9. A constant can assum	20 (5)		
(A) One value	(B) More than one value	(C) Different values	(D) No value at all
10. The number of basis fo			A COLOR CONTROL CONTROL AND CONTROL
(A) two	(B) three	(C) four	(D) five
11. Total of relative frequer	B 154	10 8	
(A) 1	(B) 2	(C) 1/2	(D) 1/4
12. The Median divides the	CONTRACT BEST CONTRACT CONTRAC		***** *****
(A) 2 parts	(B) 3 parts	(C) 4 parts	(D) 10 parts
13. The modal letter of the			
(A) S	(B) T	(C) S and T	(D) I
14. The range of the scores			* XX
(A) 140	<b>(B)</b> 3	(C) 137	(D) 143
15. Half of the difference be	tween upper and lower quart	iles is:	
(A) M.D	(B) S.D	(C) Q.D	(D) variance
16. The standard deviation i	is always computed from:		
	(B) Median	(C) Mode	(D) Combined mean
		(F	
17. The index given by $\frac{\sum p}{\sum p}$	$\frac{1}{2} \times 100$ is:		

(C) Value Index

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(D) None of these

(B) Paasche's Index

(A) Laspeyre's Index

Roll No.\_\_\_\_\_\_ to be filled in by the candidate.

#### **Statistics** (Essay type)

# Sessions; 2015-2017, 2016-2018& 2017-2019

#### Time: 2:40 Hours

#### **SECTION-I**

Marks: 68

#### 2- Write short answers of any eight parts from the following.

 $2 \times 8 = 16$ 

- i. What are sources of secondary data?
- iii. What is statistical average?
- v. Find  $\sum X$  if  $\overline{X} = 15, n = 10$ .
- vii. Describe the relation between A.M,G.M and H.M.

Define Fixed base method.

- iv. Enlist the four properties of good average.
- vi. Calculate Geometric Mean of 1,1,8.
- viii. What does an Index number measure?

ix. What is base period?

x. If 
$$X_1=2, X_2=5, X_3=-2, X_4=5, X_5=-1, X_6=2$$
, then find  $\sum_{i=1}^{3} X_i$ ,  $\sum_{i=1}^{6} X_i$ 

xi. Given 
$$\sum p_o q_o = 352$$
,  $\sum p_1 q_o = 422$ ,  $\sum p_o q_1 = 402$ ,  $\sum p_1 q_1 = 481$  then find current year weighted index(Po1).

- xii. Given  $\sum$  IW=8074.5,  $\sum$  W=60.25 .Find consumer price index.
- 3- Write short answers of any eight parts from the following.

 $2 \times 8 = 16$ 

- i. Define Semi-Inter Quartile Range and its Co-efficient.
- ii. Given Q<sub>1</sub>=125 and Q<sub>3</sub>=175.Find the co-efficient of Quartile deviation.
- iii. What is classification?

- iv. What is Histogram?
- v. Given X=2,4,6.Find Mean deviation from Median.
- vi. Explain the term skewness.

vii. Define PlatyKurtic distribution.

viii. Define the standard-deviation.

ix. Define venn-diagram.

- Write down the definition of probability.
- xi. A card is selected from a deck of playing cards. What is the probability that the card is a king or queen?

xii. Suppose 
$$P(A) = \frac{1}{3}$$
,  $P(A \cup B) = \frac{1}{3}$ ,  $P(A \cap B) = \frac{1}{10}$ . Find  $P(B)$ .

#### 4- Write short answers of any six parts from the following.

 $2 \times 6 = 12$ 

8x3 = 24

4

- i. Describe the application of random numbers.
- ii. Suppose a person gets Rs.5 for a head and Rs.3 for a tail. How much would you expect him to get per toss, when he plays the game over and over again.
- iii. If var(x)=2,var(y)=5 if X and Y are independent then find var(2X-Y).
- iv. If E(x)=3,E(Y)=2.5, then find E(X-Y).
- v. Write the properties of probability density function.
- vi. Write any two properties of binomial distribution.
- vii. What is mean and variance of (q+p)2.
- viii. Define hypergeometric random variable.
- ix. Write any two properties of hyper-geometric distribution.

#### **SECTION-II**

## Note: Attempt any three questions from the following.

5. (a) Find the median from the following data. 25-29

30-34 20-24 15-19 10-14 Groups 2 10

(b) The reciprocals of x are given below:

0.0267, 0.0235, 0.0211, 0.0191, 0.0174, 0.0160, 0.0148.

Calculate Arithmatic Mean and Harmonic Mean.

6. (a) Calculate coefficient of quartile deviation for the following data.

Classes	25-50	50-75	75-100	100-125	125-150	150-175
f	. 10	12	16	17	20	15

-(b) The first four moments about x=62 are 1,4,10,46. Find first four moments about mean.

7. (a) Compute chain indices for the following data taking 2009 as base year.

ompute chan	i ilidioco ioi	the tollowing	adta taring				
Year	2009	2010	2011	2012	2013	2014	2015
Prices	1800	1850	1940	2000	2040	2180	2200

(b) A card is selected from a deck of playing cards; Find the probability that:

- (i) The card is black (ii) The card is queen card (iii) The card is spade card (iv) The card is a face card

8. (a) A committee of size 5 is to be selected at random from 3 women and 5 men. Find the expected number of women in the committee.

(b) Let x be a random variable with probability distribution.

X	1	2	3	4	5
P(X)	0.125	0.450	0.250	0.050	0.125

Show that E(5x+8)=5E(x)+8.

- 9. (a) A random variable x has binomial distribution with n=4 and p=0.4. Find the expected number of successes. 4
  - (b) A committee of size 3 is to be selected at random from 4 women and 6 men. Obtain the probability distribution of the number of men in the committee.

6 8 Paper code

#### Session; 2014-2016

# Statistics (Objective Type)

**Time: 20 Minutes** 

Marks: 17

NOTE: Write answers to the questions on objective answer sheet provided. Four possible answers A,B,C & D to each question are given. Which answer you consider correct, fill the corresponding circle A,B,C or D given in front of each question with Marker or pen ink on the answer sheet provided.

1.1. Link relative is equal to:

-(A) 
$$\frac{P_n}{P_0} \times 100$$

(B) 
$$\frac{P_{n-1}}{P_n} \times 100$$

(C) 
$$\frac{P_o}{P_o} \times 100$$

$$(D) \frac{P_n}{P_{n-1}} \times 100$$

Two events A and B are called mutually exclusive if:

(A) (AUB)=
$$\phi$$

(B) 
$$(A \cap B) = \phi$$

(B) Sure event

(C) 
$$(A \cap B) = S$$

(C) Sample event

(D) 
$$(A \cap B) = 1$$

The collection of all possible outcome of a random experiment is called:

- (A) Sample point

(D) Simple event

If E(x)=4 and E(x²)=20, then var(x) will be:

- (A) 4
- (B) 8

(C) 2

(D) 1

Probability density function of a\_\_\_\_\_random variable:

- (A) Discrete
- (B) Qualitative
- (C) Continuous
- (D) None of these

Binomial distribution is negative skewed when:

- (A) p=q
- (B) p<q</p>
- (C) p>q

7. In binomial distribution  $n=20, p=\frac{1}{5}$ , then the variance of the distribution is:

- (A) 4.8
- (B) 12
- (C) 48

(D) 4.5

8. The parameters of the hypergeometric distribution are:

- (A) N,p,K
- (B) x,N,K
- (C) N,x,n
- (D) N,n,K

Counting or enumerations usually provide:

- (A) continuous data
- (B) Qualitative data 10. Issuing a national identity card is an example of:
- (C) Discrete data
- (D) Grouped data

(B) sampling

- (A) census
- (C) registration
- (D) Investigation

11. The process of arranging data into rows and columns is called: (B) Classification

- (A) Tabulation

- (D) Histogram

12. Sum of absolute deviations of the values is least when deviations are taken from:

- (A) Mean
- (B) Median
- (C) Mode
- (D) G.M

13. If a distribution has two modes then it is called:

- (A) Tri-model
- (B) Uni-model
- (C) Multi-model
- (D) Bi-model

14. If the values of a variable are -2,-3,-5,-10,-6,-4 then the range is:

- (A) -12
- (B) -8
- (C) -4

(D) 8

15. For a symmetrical distribution:

- (A)  $\beta_2 = 0$
- (B)  $\beta_2 < 3$
- (C)  $\beta_1 = 0$
- (D)  $\beta_1 > 3$

16. If S.D(x)=5 then S.D

- (A) 5
- (B) 10
- (C) 15

(D) 7.5

17. The prices used in the construction of consumer price index numbers are:

- (A) Fixed prices
- (B) The retail prices
- (C) The wholesale prices
- (D) None of these

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Roll No.\_\_\_\_ \_to be filled in by the candidate.

Session;2014-2016

# Statistics (Essay type)

Time: 3:10 Hours

#### **SECTION-I**

Marks: 83

## 2- Write short answers of any eight parts from the following.

 $2 \times 8 = 16$ 

- Define population and sample.
- Define Descriptive Statistics.
- iii. Find mode from the given data:4,4,5,5,6,5,6,7,7. iv. Define harmonic mean.

v. What is the base period?

vi. Define link relative.

- vii. Define price index numbers.
- viii. Write the formula for Fisher's price index number.
- ix. For a certain distribution:  $\sum (X-15)^2 = 868$ ,  $\sum (X-16)^2 = 720$ ,  $\sum (X-20)^2 = 982$ . What is the value of mean? And why?
- x. Describe the empirical relation between mean, median and mode.
- xi. If mode=25 and median=30, then find approximate value of mean.
- xii. Given  $\sum p_a q_a = 9000$ , and  $\sum p_a q_a = 8490$ , find consumer price index number by aggregate expenditure method.

#### 3- Write short answers of any eight parts from the following.

 $2 \times 8 = 16$ 

Define class limits.

Define relative frequency.

iii. Define relative Dispersion.

- iv. Write down any two properties of standard deviation.
- v. If for a set of data mean=36,SD=6,then find C.V.
- vi. If for a set of data m<sub>2</sub>=43.50 and m<sub>3</sub>=17.33. Find moment ratio b<sub>1</sub>.
- vii. Define mutually exclusive events.
- viii. What is "relative frequency" definition of probability?
- ix. State general addition Law of probabilities. x. Define conditional probability.
- xi. Given that mean=50,median=48 and SD=6.Find coefficient of skewness.
- xii. The second moment about mean is 13.76 and fourth moment about mean is 528.06. Find moment ratio b2.

#### 4- Write short answers of any six parts from the following.

 $2 \times 6 = 12$ 

- Define probability density function.
- ii. Write properties of random variable.
- iii. Find P( $\alpha$  =0) when N=3,n=2,k=1.
- iv. Give two examples of random variables.

v. var(x)=4. Find var(4x+4).

vi. Give two properties of binomial distribution.

- vii. Define binomial experiment.
- viii. Write down the parameters of hypergeometric distribution.
- ix. Write down mean and variance of random variable x in term of expectation.

#### SECTION-II

#### Note: Attempt any three questions from the following.

8x3 = 24

5. (a) Given the following data.

Marks	30-39	40-49	50-59	60-69	70-79
f	3	10	20	13	4

Show that G.M is less than Arithmetic mean.

(b) Find the value of mode from the data:

Marks	10-14	15-19	. 20-24	25-29	30-34
f	2	4	8	6	3

(a) Calculate coefficient of variation and coefficient of S.D of the following data:

X	0	1	2	3	4
f	17	9	6	5	3

(b) Find first two moments about the mean of the following data.

Х	22	27	32	37	42	47	52
f	1	4	8	11	5	9	2

7. (a) Given the following information.

$$\sum p_1 q_n = 41140$$
,  $\sum p_o q_o = 35310$ ,  $\sum p_1 q_1 = 46707$ ,  $\sum p_n q_1 = 40048$ . Compute: Base year weighted price index.

- (i) Base year weighted price index.
- (ii) Current year weighted price index.

5

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- (b) An integer is chosen at random from the first 200 positive integers. What is the probability that the integer
- 8. (a) Find E(x) and var(x) for the following probability distribution.

^	2	3		T	240.000 m
P(X)		-	4	5	6
. (1/1)	0.01	0.25	0.40		-
		0.25	0.40	0.30	

- (b) If f(x) has a probability density  $kx^2$ , 0 < x < 1, determine its K and find the Probability that  $\frac{1}{3} < x < \frac{1}{2}$
- 9. (a) If x is binomially distribution with n=10, p=0.4 then find the mean and variance of  $y = \frac{x-10}{6}$ .
  - (b) Three balls are drawn without replacement from a box containing 3 white and 7 red balls. If x denotes the number of white balls then obtain probability distribution of x. Also compute its  $E(x^2)$ .

#### Section -III (Practical)

NOTE: Answer any three parts from the following.

10.A. A variable Y is determined from a variable X by the equation Y=10-5X. Find Y when X=-3,-2,-1,0,1,2,3,4,5 5x3=15 Find the mean deviation from median.

Daily wages	6	8	r	Γ	Т			
f		-	10	12	14	16	10	
	5	10	18	22	-		18	20
Compute chair	indices	taking 1000	-		/	3	2	1

Compute chain indices taking 1920 as base for the following data. C.

Years	1920	1921	Commence and the second	the following	data.	E-12-15-15-15-15-15-15-15-15-15-15-15-15-15-	
Prices	400	1021	1922	1923	1924	1925	1000
	120	116	125	120	72.20		1926
air die is ro	lled 5 times	Lot V d		er of times th	137	136	149

- D. A fair die is rolled 5 times.Let X denotes the number of times the face 3 turns up.Obtain a probability
- 5 Three balls are drawn from a bag containing 5 white and 3 black balls. Find the probability distribution E. of x if x is the number of white balls. 5

Roll No. to be filled in by the candidate

# (For all sessions)

Paper Code	6	1	8	1

# Statistics (Objective Type)

Time: 20 Minutes	¥
NOTE: Write answers to the questions on objective answer sheet provided. Figuestion are given. Which answer you consider correct, fill the corresponding civith Marker or pen ink on the answer sheet provided.	Marks: 17 Four possible answers A,B,C & D to each ircle A,B,C or D given in front of each question

070	are given. viller	answer you consider correct, the answer sheet provided.	nswer she	eet provided. Four possible orresponding circle A,B,C o	ansv r D g	wers A,B,C & D to each iven in front of each question
1	.1. A characteristic th	at does not vary from individ	lual to ind	ividual is called:		
-	(A) Variable	(B) Constant		Continuous variable	<b>(D)</b>	Diagram
2	A chart in which adj	acent rectangles are used:	1-7	o o mindous variable	(U)	Discrete random variable
		art (B) Pie Chart	(C)	Histogram	<b>(D)</b>	
3		ange=1000 and number of c	lasses an	e 20 then class interval w	رام)	Component Bar Chart
	(A) 40	<b>(B)</b> 50	(C)			
4	If $\bar{x} = 10$ ,and $y = 6 + 2$	x then $\overline{\mathcal{Y}}$ will be:	(-/		(D)	100
	(A) 20	(B) 24	(C)	26	<b>(D)</b>	20
5	. Which of the following	g is based on all values of a			(D)	30
	(A) Q <sub>1</sub>	(B) Median		Mode	<b>(D)</b>	0
6	The geometric mean		(0)	Mode	(D)	Geometric Mean
	(A) 2	<b>(B)</b> 0	(C)	4	<b>(D)</b>	•
7	Which of the following	g is a measure of dispersion			(D)	6
	(A) First quartile	(B) 2nd quartile		Coefficient of Skewness	<b>/</b> D:	
8.	The standard deviation		(0)	Coefficient of Skewness	(D)	Range
	(A) The square of v		(B)	Half of the warian		
	(C) Square root of t			Half of the variance		
9.	The first moment abo		(D)	Two times of the variance	:	
	(A) 1	(B) 0	(C)	Variance		<b>∠</b> (2004) 400 1 100 1
10	SESSECTION LEE	M 35	(0)	variance	(D)	Standard Deviation
.0	$\frac{\sum p_n q_n}{\sum p_n q_n} \times 100 \text{ is call}$	led:				
•	7					
4.4	(A) Paasche's index	(B) Laspeyre's index	(C) I	Fisher's index	(D)	Value index
11	risner's index numbe	r isof Laspeyre's and F	Paasche's	s index numbers:		
40		(B) Geometric mean	0.200	farmonic mean	(D)	Median
12	The probability of obta	aining an even number when	a fair die	e is rolled:		
	(A) $\frac{1}{4}$	$\frac{1}{2}$	1	<u></u>		
	50 90° 000 <b>€</b>	(B) $\frac{1}{3}$	(C) 2	2	(D)	1
13.		n-mutually exclusive events t	then P(AL	JB) be:		
	<b>(A)</b> P(A)+P(B)	<b>(B)</b> P(A)P(B)	(C) P	$P(A)+P(B)-P(A\cap B)$	(D)	P(A/B)P(B)
14	Expected value of a ra	andom variable is equal to:		90 OH 90 1005		( / . ( - /
	(A) Standard	(B) Mean Deviation	(C) V	ariance	(D)	Mean
	Deviation				9 8	
15.	For a random variable	X if $var(X)=4$ then $var(2X+4)$	) will be:			
	(A) 12	(B) 16	(C) 20		(D)	32
16.	For a bionomial distrib	ution with parameters n and	P,mean a	and variance are related a	is:	
*	(A) Mean=Variance	(B) Mean>Variance	(C) Me	ean <variance< td=""><td>9255</td><td>Always coincide</td></variance<>	9255	Always coincide
17.	In hypergeometric distr	ribution with n=5, K=10 and I			, ,	
	(A) 2.5	<b>(B)</b> 10	(C) 40		(D)	3/4

				Inter-(Part	:-I)-A-2	019	,	- 1 · 1	
Roll	No	_to be filled in by	y the candidate.	(For a	all se	essions	s)	,	
Sta	tistics (H	Essay type)		-				95	
	: 2:40 Hours		SI	ECTION-I				N	Iarks: 68
10000 0000	/rite short answ	ers of any eig		FR 1877 FREE STATES AND STATES AND SER TO SERVE AND SERVE STATES				2	x 8 =16
	efine statistics a	-	in parte iron			populatio	n and sample?		
	Vrite two merits of		ean.				nd give its formu		8
	Vrite two merits of			vi. W	/hat is	Fisher's I	ndex number?		
vii. V	Vhat are Deciles'	?		viii. W	Vhat is	composi	te index numbe	r?	
ix. D	efine Value Inde	x.		x. V	Vhat is	consume	er price index nu	ımber?	
xi. D	efine Mean.Wha	at is formula for	calculation of	f mean for gr	oup da	ata?			
	Vhat are the type							•	- 0 -4C
	Vrite short answ			n the followi	ng.			2	x 8 =16
	Vhat do you mea			irth moment	for a r	masakurtir	distribution?		
	second moment Define the term D		5 5, What is lot				Exclusive Event	s	
1938 M. J.	efine HISTOGR					- 5	n find the variar		
	efine moments.	- Wi.				Mean De			
	efine Conditiona	I Probability.						card in a pack o	f 52 cards?
	$C_r^n = P_x^m$							oility for depender	
4- V	Vrite short answ	vers of any six	parts from t	he following	<b>J</b> .			2	x 6 =12
	efine Random V	13 - 900 (800) 130 - 130 (800)		6-93 0000M 99-1					
ii. D	escribe two prop	perties of discre	te probability	distribution.					
	Vhat is mean and				arame	eters n an	d p?	find E(v2)	
	Vrite down any ty		Expectation				x)=0.2331 then density function		
	efine bionomial efine Hypergeor		v distribution		hvpe	raeometric	distribution N=	7,n=5 and K=2 F	ind P(x=0).
VIII. D	cilie Hypergeo.	nomo prososam	,	SECTION		•			
Note:	Attempt any t	hree question	s from the f	ollowing.					8x3 = 24
	For the followin				M.				_ 4
	D	-12		-8		4	0	4	
	f	2		5	8	3	18	22	
(b)	A bus traveling	200 miles has	10 stages at	equal interva	ls.The	speed of	bus at various	stages was	4
	observed to be	10,15,20,75,20	,30,40,50,30	and 40 miles	s per h	nour.Find	average speed	at which the bus	;
	has traveled.								
6. (a)	Calculate co-eff	ficient of variati	on from the fo	ollowing frequ	ency			1	4
	X	0	1	2		3	4		
	f	17	9	6		5	3	]	. 52
(b)	First four mome	nts of a distribu	ition about x=	2 are 1,2.5,5	.5 and	d 16.Calcı	ulate mean and	Co-efficient of	4
7 (2)	variation. The following da	ata gives prices	and quantitie	es of four con	nmodi	ities for th	e vears 2000 ai	nd 2002.Find	4
1. (a)	Paasche's index		and quantities	30 01 1001 001			•	12	40
	, adomino a maio		Pric	es	T	Quant	ities		
	9	Commodity	2000	2002	2	2000	2002		
		A	70	75		300	310	*:	
55		В	72	80	1 :	240	275		
		С	25	32		132	148		
		D	60	85	1	280	360		1
(b)	If the probability	y of a horse A v	vinning a race	is 1/5 and th	nat of	a horse B	is 1/6.What is t	he probability the	at <b>4</b>
55	one of them win								
8. (a)	The probability		a random vari	iable x is give	en as.	transalet	(*	-	4
(-)		×	0	1		2	3	¥	89
		P(x)	0.1	0.2		0.3	0.4		
	Show that E(5x	L					13	-	
(b	) For a continuo		able X,Proba	bility density	function	on is:	# c	6	4
a • 550	***************************************	Martine control of the second					(ii) $P(\frac{1}{2} \le 1)$	$x < \frac{3}{2}$	
	f(>	()=cx 0≤x≤	2.	Find	d (i) v	alue of c	(11) 1 2	2	

(ii) n=7, N=12, K=8, Find P(x=6)

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(b) In hypergeometric distribution determine the following

9. (a) A fair coin is tossed four times. Find the probability that there will appear.

(ii) Atmost 2 heads.

(i) n=4, N=10, K=3, Find P(x=2)

(i) Atleast 2 heads.

7. (a) Given the following information.

$$\sum p_{_1}q_{_0} = 41140$$
,  $\sum p_{_0}q_{_0} = 35310$ ,  $\sum p_{_1}q_{_1} = 46707$ ,  $\sum p_{_0}q_{_1} = 40048$ . Compute:

- (i) Base year weighted price index.
- (ii) Current year weighted price index.
- (b) An integer is chosen at random from the first 200 positive integers. What is the probability that the integer chosen is divisible by 6 or 8?
- 8. (a) Find E(x) and var(x) for the following probability distribution.

Х	2	3	4	5	6
P(X)	0.01	0.25	0.40	0.30	0.04

- (b) If f(x) has a probability density kx<sup>2</sup>,0<x<1,determine its K and find the Probability that  $\frac{1}{3} < x < \frac{1}{2}$
- 9. (a) If x is binomially distribution with n=10, p=0.4 then find the mean and variance of  $y = \frac{x-10}{6}$ .
  - (b) Three balls are drawn without replacement from a box containing 3 white and 7 red balls. If x denotes the number of white balls then obtain probability distribution of x. Also compute its  $E(x^2)$ .

#### Section -III (Practical)

#### NOTE: Answer any three parts from the following.

5x3=15

- **10.A.** A variable Y is determined from a variable X by the equation Y=10-5X. Find Y when X=-3,-2,-1,0,1,2,3,4,5 and show that  $\overline{y} = 10 5\overline{x}$ .
  - B. Find the mean deviation from median.

5

Daily wages	6	8	10	12	14	16	18	20
f	5	10	- 18	22	7	3	2	1

C. Compute chain indices taking 1920 as base for the following data.

5

Years	1920	1921	1922	1923	1924	1925	1926
Prices	120	116	125	130	137	136	149

D. A fair die is rolled 5 times. Let X denotes the number of times the face 3 turns up. Obtain a probability distribution of X.

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5

E. Three balls are drawn from a bag containing 5 white and 3 black balls. Find the probability distribution of x if x is the number of white balls.

Roll No.

to be filled in by the candidate

(For all sessions)

Paper Code

# Statistics (Objective Type)

Time: 2	0 M	inu	tes
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Marks: 17

NOTE: Write answers to the questions on objective answer sheet provided. Four possible answers A,B,C & D to each ch question

	estion are given.Which and the Marker or pen ink on the	swer you consider correct, fill e answer sheet provided.	the c	corresponding circle A,B,C o	r D gi	ven in front of each
1.1	. A specific characteristi	c of a population is called:				
	(A) Statistic	(B) Variable	(C)	parameter	(D)	Sample
2.	The number of observat	tions falling in a class is calle	d:			
	(A) Class Mark	(B) Class Frequency	(C)	Class Interval	(D)	None of these
3.	The observation which	occurs maximum number of t	imes	in a data is called:		
	(A) Mean	(B) Mode	(C)	Median	(D)	Harmonic Mean
4.	Geometric mean of the	values 2,4,8 is:				
	(A) Zero	<b>(B)</b> 6	(C)	4	(D)	16
5.	Mean is greatly affected	by:				
1	(A) Two values	(B) Extra values	(C)	Minor values	(D)	Extreme values
6.	The range of the values	-2,-4,-6,-8 is:				
	(A) -6	<b>(B)</b> -10	(C)	6	(D)	-4
7.	Mean of absolute deviati	ions from an average is called	d:			
	(A) Arithmetic mean		, ,	Deviation from average		
	(C) Deviation from me			Mean deviation		
8.	If sum of squared deviati	ions from mean is 64 for 16 c	bse	rvations,then standard devi		
	(A) 2	(B) 4	• •	16	` ′	None of these
9.	If all the commodities are	e not of equal importance in a	an in	dex number, the index is ca		
	(A) Weighted	(B) Simple	(C)	Unweighted	(D)	None of these
10.	For computing chain ind	ex numbers, we compute:				
		(B) Weighted indices	(C)	Link relatives	(D)	Value relatives
11.	The events A and B are	mutually exclusive if:				
	(A) $A \cap B = \phi$	(B) $A \cap B = 0$	(C)	$A \cup B = 0$	(D)	$A \cup B = \phi$
12.	The probability of drawir	ng an ace card from a pack o	f 52	playing cards is:		
	(A) $\frac{4}{52}$	(B) $\frac{1}{4}$	(C)	$\frac{1}{52}$	(D)	$\frac{1}{26}$
13.	A random variable may	be either discrete or:				
	(A) Experiment	(B) Discontinuous	(C)	Continuous	(D)	Fixed
14.	Probability function can				/m\	nogotivo
, ,	(A) zero	(B) positive	(C)	less than 1	(ロ)	negative

15. In a binomial experiment, the trials are:

(A) constant

(B) independent

(C) Dependent

(D) None of these

16. Mean of hypergeometric distributions is:

(B) n

nN

17. In a binomial distribution(q+p)4, the variance is:

(A) pq

(B) 4pq

(D) 2p+q

(C) 4+p+q 845-11-A-☆---

# Statistics (Essay type)

Time: 2:40 Hours

# SECTION-I

Marks: 68

 $2 \times 8 = 16$ 

- 2- Write short answers of any eight parts from the following.
- i. Differentiate between Qualitative and Quantitative variables.
- ii. How would you define current year weighted index number?
- iii. If  $\sum p_n q_n = 120$ ,  $\sum p_n q_n = 100$ ,  $\sum p_n q_n = 130$ . Find base year weighted index number.
- iv. Differenciate between raw data and secondary data.
- v. Enlist the different types of average.
- vii. Write down the merits of Mode.

i. What is meant by tabulation?

- ix. Find Harmonic Mean for 5,10 and 50.
- xi. Define Quantiles.

- vi. Write down the steps in construction of index numbers.
- viii. Define Weighted Mean.
- x. If Mode=25, median=15, Find Arithmatic Mean.
- xii. What are the names of weighted index numbers.
- 3- Write short answers of any eight parts from the following.

 $2 \times 8 = 16$ 

 $2 \times 6 = 12$ 

- iii. What do you understand by dispersion?
- v. Write any four properties of variance.
- vii. Define standard deviation.
- ix. Define the term combination.
- xi. What are equally likely events?
- iv. If Q1=88.03,  $Q_3$  =94.50 find Quartile deviation.
- vi. Explain the Skewness.

ii. Define Class Limits.

- viii. If Var(x)=10 and y=5x+20 then find var(y).
- x. State addition law of probability for mutually exclusive events.
- xii. What is meant by sample space?
- 4- Write short answers of any six parts from the following.

i. What should be the sum of probabilites for all possible values of a random variables?

ii. How many parameters are there in binomial distribution?

iii. In a binomial distribution,  $p = \frac{1}{5}$  and n = 20, find mean of this distribution.

iv. Given that n=5,N=11,k=4 find mean of hypergeometric distribution. Find E(X). v. Given that:

	1 ^ 1		_	
	P(X=x)	9/15	6/15	
vi. For the giver	probabili	ity distrib	ution:	

			-
	.4: .		nahi na sa
Oι	щ	on:	

Х	0	1	2
P(X=x)	4/10	5/10	m

Find m.

ix. In Hypergeometric distribution, which type of sampling is used?

vii. Describe the properties of binomial experiment. viii. Find E(X-Y), if E(X)=3 and E(Y)=2

SECTION-II

8x3 = 24

Note: Attempt any three questions from the following. 5. (a) Calculate lower (Q1) and upper(Q3) quartiles of the following data.

84.60, 88.03, 94.50, 94.90, 95.05.

(b) The table shows the distribution of maximum loads in shot tons supported by certain cables produced by a company.

10.8-11.2 10.3-10.7 9.8-10.2 9.3 - 9.7Max. Loads 12 No. of cables

Determine Mode.

6. (a) Cal

alculate mean devi	ation (about	mean) for dis	stribution give	n below.	
Weights(Kg)	50-53	53-56	56-59	59-62	62-65
No. of	23	24	39	46	54

Also find coefficient of mean deviation(from mean).

(b) Calculate standard deviation by using arithmetic mean for the data given below.

3,5,7,13,15,17,23,27 the index number of price from the following data taking average price of all years as the base. 7. (a) F

-	ind the index number of price from the following data taking average price of an years as the base.								
	Years	1970	1971	1972	1973	1974	1975	1976	1977
	Prices	15	19	21	30	37	38	40	48

(b) Six white balls and four black balls which indistinguishable apart from colour, are placed in a bag. If six balls 4 are taken from the bag. Find the probability, there being three white and three black.

8. (a) The number of automobile accidents in a city are: 1,2,3,4 with corresponding probabilities:

1/8, 2/8, 2/8, 3/8. What is the expected number of daily accidents? (b) The probability distribution of a discrete random variable 'X' is given by:

 $f(x) = {3 \choose x} \left(\frac{1}{4}\right)^x \left(\frac{3}{4}\right)^{3-x}$  for x=0,1,2,3. find (i) E(x) (ii) Var(x)

9. (a) A fair coin is tossed 5 times. What is the probability of getting: (i) Exactly three heads (ii) At least three heads

(b) Given that X is the hypergeometric random variable with N=8, n=3 and K=5.Compute  $P(x \le 2)$ 

846-11-A----